MODEL-FREE CONTROL: A MATHEMATICAL TOOL FOR INDUSTRIAL APPLICATIONS

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21-25/3/2016 Cédric Join



Modeling: Pavlovian conditioning ?

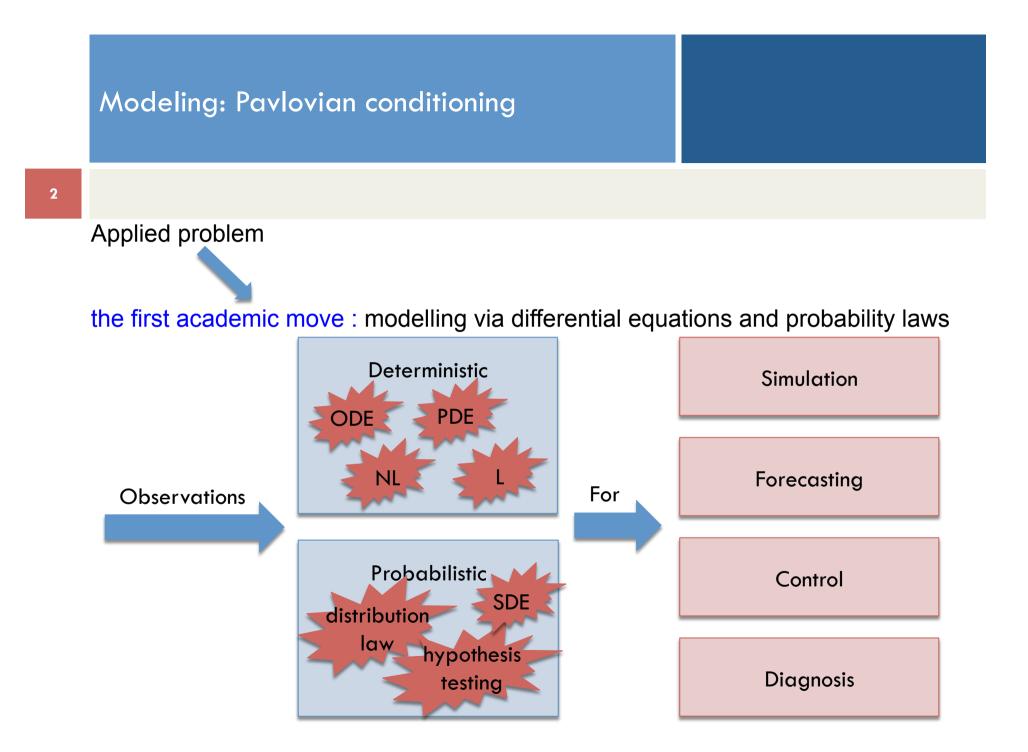
□ Control engineering

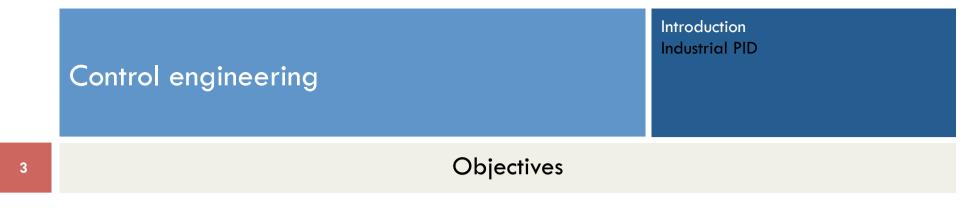
- Introduction
- PID: >95% industrial control implementation

Model-free control

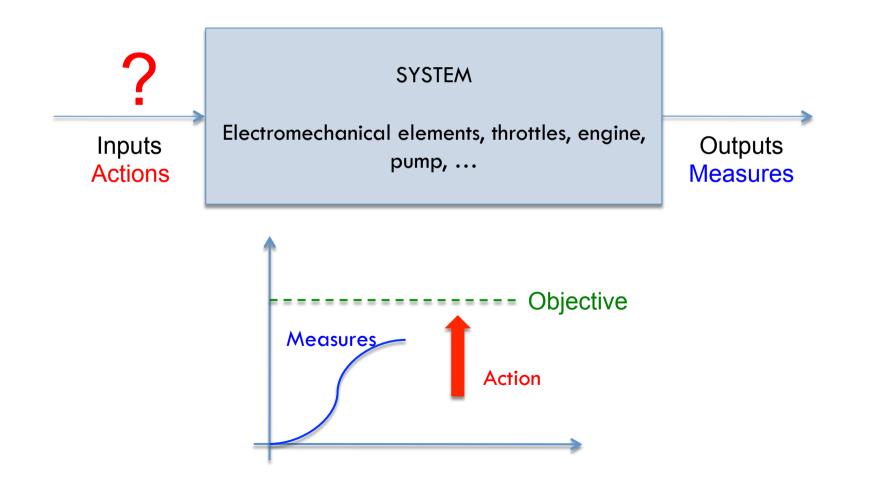
- Main idea
- Algebraic estimation technique
- In general

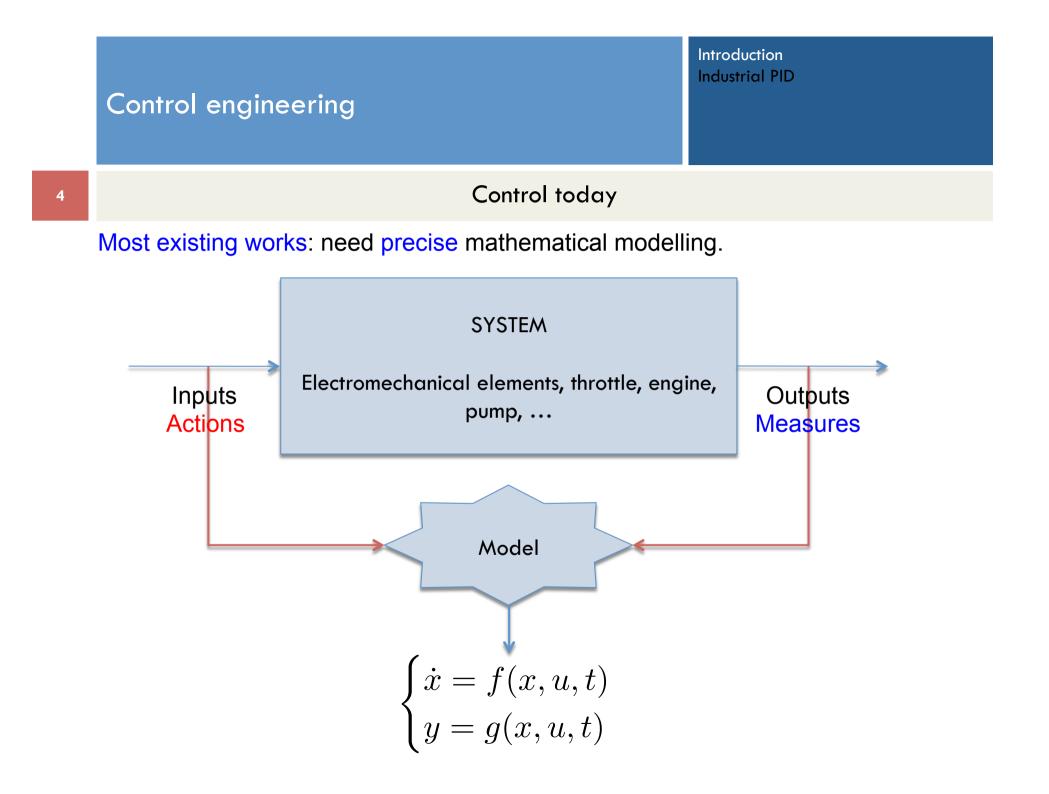
Examples





How to control a system in order to obtain good performances?







Modelling in real life:

- always long and difficult
- difficult parameter calibration
- only experts can do it

Time needed for modelling:

more than 80%

PID (Proportional Integral Derivative) most common control law in practice (>95%):

$$Control = K_p e + K_i \int e + K_d \frac{d}{dt} e$$

e: tracking error

- simplicity of the concept

- no need of a precise modelling



but

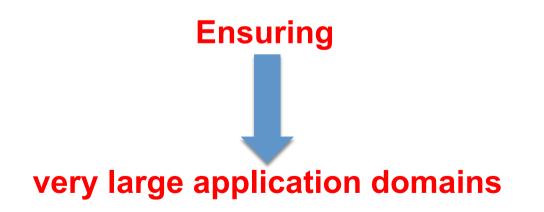
poor performances:

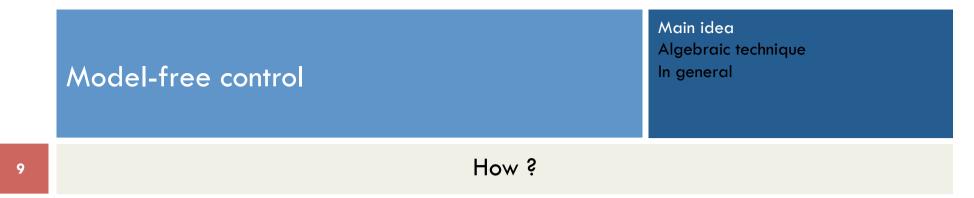
- with severe nonlinearities (friction, hysteresis, ...)
- change of system characteristics (ageing, faults, ...)
- high dimension

	Model-free control		Main idea Algebraic technique In general
8		Objective	

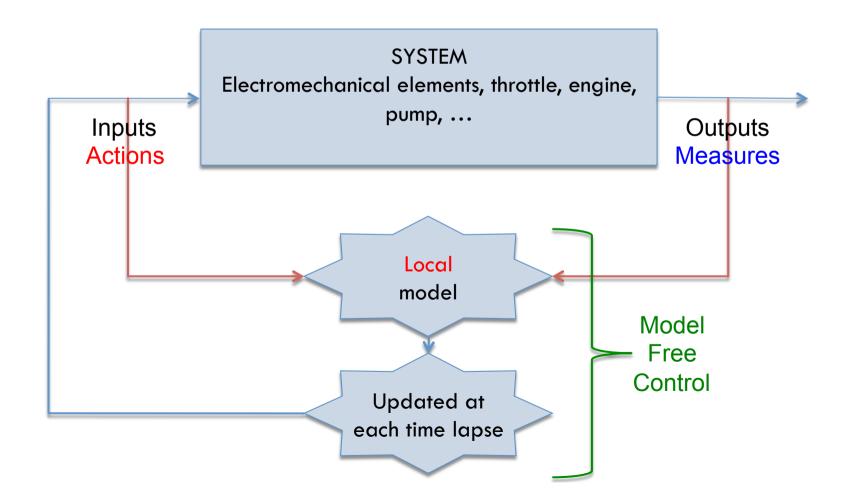
Our control law: the same advantages as for PIDs but without disadvantages.

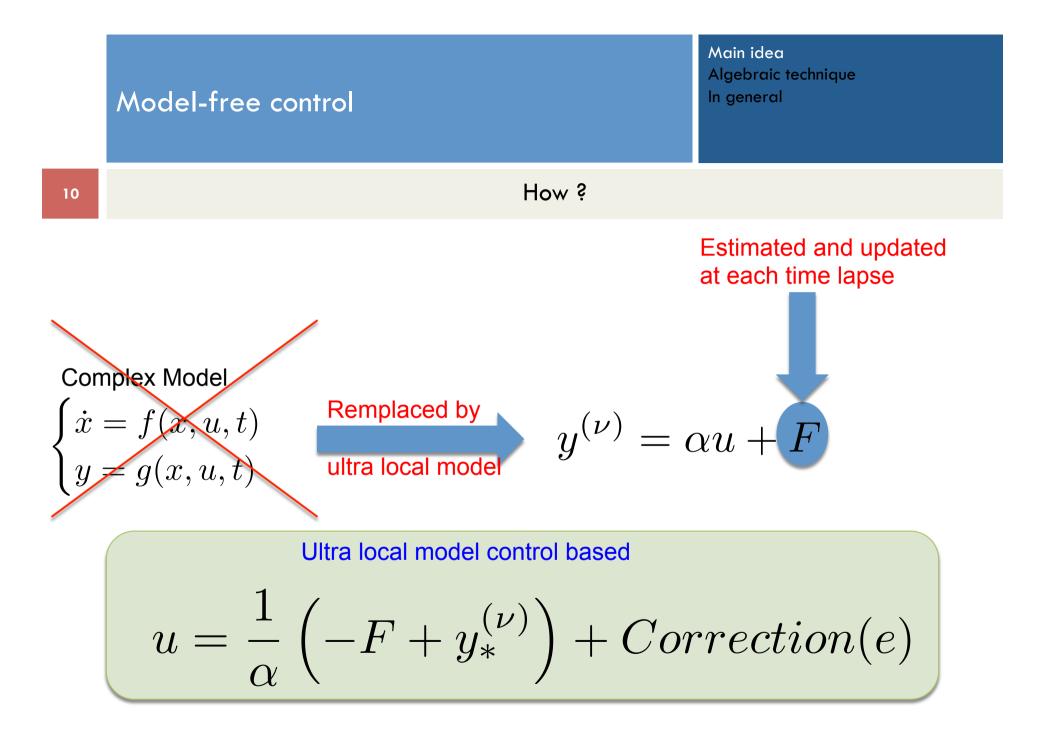
- Same conceptual simplicity as PID controllers.
- No need of precise modelling.





Control law independent from usual modelling.







Crucial point : estimation of F

For the example, consider the following ultra-local model

$$\dot{y} = F + \alpha u$$

a "well" approximation of is a piecewise constant approximation Φ ,

$$Y = \frac{\Phi}{s} + \alpha U + y(0) \qquad \qquad \textup{in operational domain}$$

$$Y + s \frac{dY}{ds} = -\frac{\Phi}{s^2} + \alpha \frac{dU}{ds} - \text{after } \frac{d}{ds}$$

in time domain

$$F_{est}(t) = -\frac{6}{\tau^3} \int_{t-\tau}^t (\tau - 2\sigma) y(\sigma) + \alpha \sigma (\tau - \sigma) u(\sigma) d\sigma$$

Main idea Algebraic technique In general

MFC in general case

$$y^{(\nu)} = F + \alpha u \qquad e = y^* - y$$
$$u = \frac{-F_{\text{est}} + y^{*(\nu)} + \mathfrak{F}(e)}{\alpha} \qquad e^{(\nu)} + \mathfrak{F}(e) = 0$$

 α is a non-physical constant parameter, chosen by the practitioner such that αu and $y^{(\nu)}$ are of the same magnitude

 \mathcal{V} is selected by the practitioner (until today ={1,2})

$$u = \frac{-F_{est} + \dot{y}^* + K_P e + K_I \int e}{\alpha} \quad (PI)$$
$$u = -\frac{-F_{est} + \dot{y}^* + K_P e}{\alpha} \quad (PI)$$



In general, with Model-Free Control

performances increase

and

- development costs decrease
- maintenance costs decrease
- energetic costs decrease

MFC has already applied to

Academic concrete cases:

- greenhouse (Toulon University)
- vehicle control (Paris-Mines, LSS-Supélec, University of Madrid)
- shape memory alloy (Brest-ENIB)
- robotics (Lyon-INSA, Montpellier University, LSS-Supélec, IUT Tarbes, CEA France, University of Madrid, University of Poznan)
- dc/dc converters (FPGA) (Trois-Rivières University)
- ...

MFC has already applied to

Industrial concrete cases:

- PSA: control engine
- EdF: several hydropower plans
- DIR(s): traffic control
- CIAT
- Schneider
- Suez
- ALSTOM
- GE

- ...



ALgèbre pour Identification et Estimation Numériques





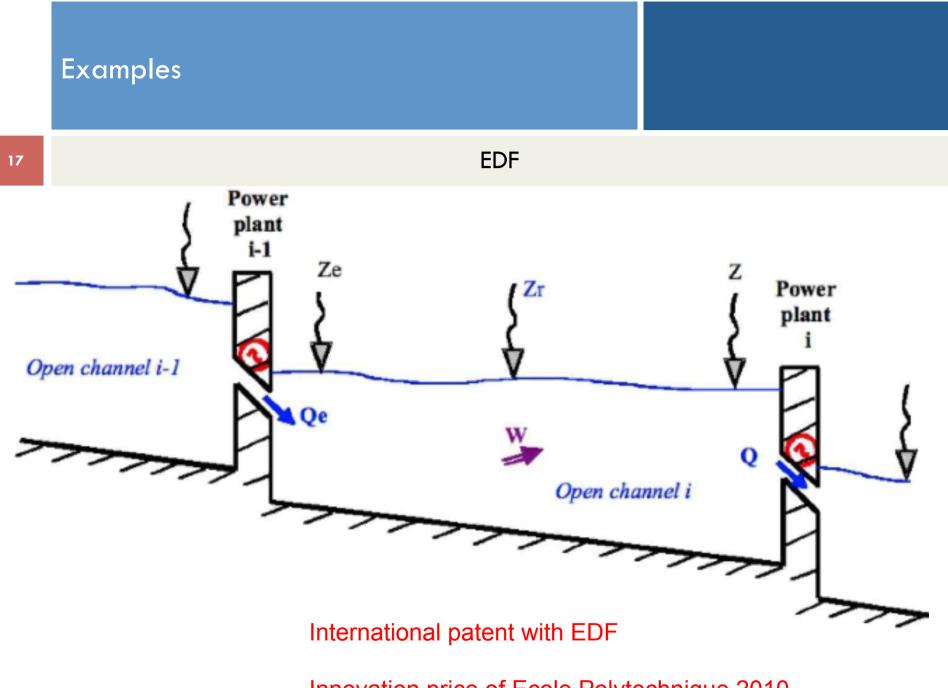


Presentation by PSA engineers at a French Workshop

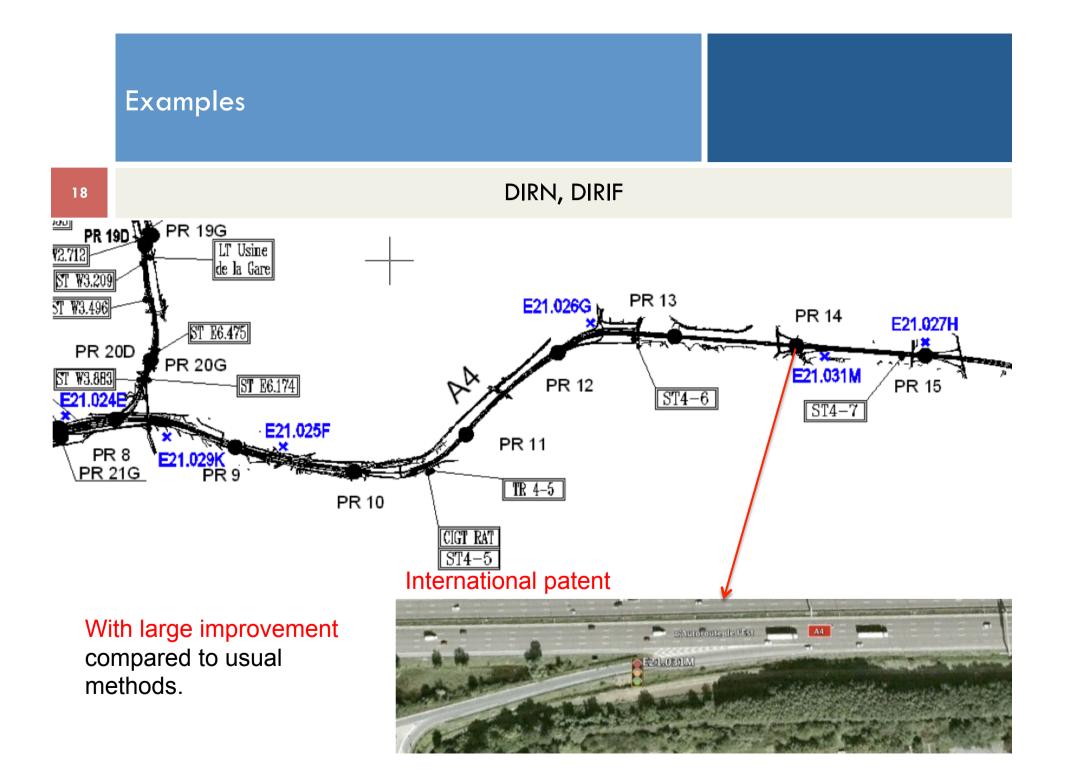
Conclusions

- La commande sans modèle
 - Technique particulière de calcul en temps réel des paramètres du régulateur
 - sans connaissance à priori du modèle mathématique de l'actionneur
 - Par l'utilisation de méthodes de dérivées numériques
 - Permet de se libérer de l'identification des paramètres
 - Permet de décorréler la solution de contrôle des performances de l'actionneur
- Les premiers résultats avec essais moteur sont prometteurs. Elle permet un gain de performance et de temps de mise en œuvre considérable.

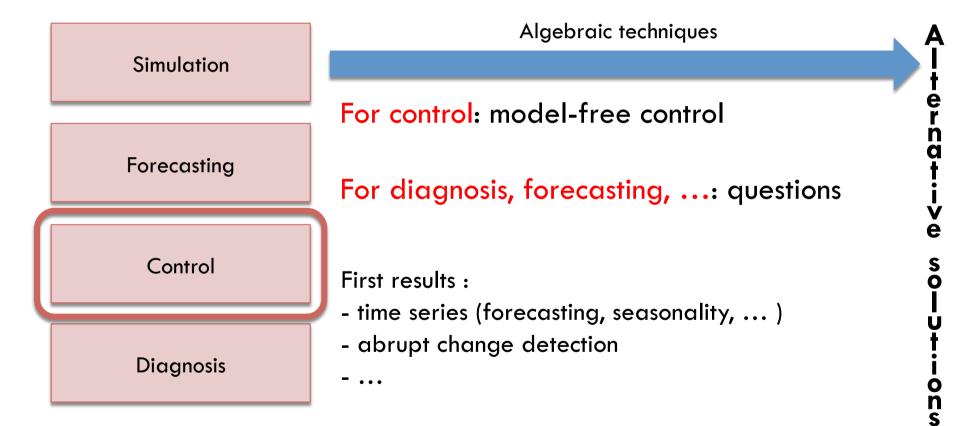


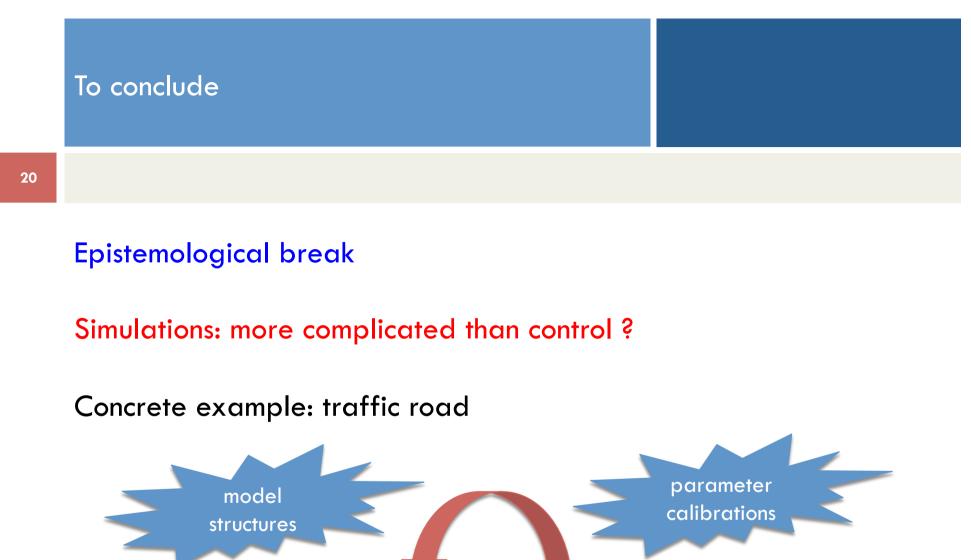


Innovation price of Ecole Polytechnique 2010









measurement campaigns model



Thank you for your attention